

Enhanced shielding as an exit strategy from COVID-19 lockdown

Mark Woolhouse, Alex Morgan, Bram van Bunnik

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Recommendation

'Enhanced shielding' should be added to the policy options for exiting COVID-19 lockdown.

Rationale

We already identify vulnerable persons and issue specific advice for them to 'shield' from possible COVID-19 infection. This covers both households and institutions containing vulnerable populations, hospitals and care homes in particular.

Policy is to i) save lives; ii) protect NHS physical capacity (especially ICUs) and iii) protect NHS staff (to maintain health services). Enhanced shielding could help meet all these goals.

Proposition: If COVID-19 was circulating *only* in the non-vulnerable population then the NHS could easily cope with the levels of mild disease, some hospitalisations and occasional critical care. Numbers of deaths would be low.

Therefore, if we could greatly reduce the incidence of infection in the vulnerable group the epidemic could be manageable. Shielding is intended to reduce the incidence; to do more we need 'enhanced shielding'.

Beyond existing shielding, the key additional element of enhanced shielding is very intensive screening of all individuals in contact with vulnerable persons. I.e. members of the same household, carers, community health workers, care home staff, hospital staff etc. We label in these 'vulnerable population contacts' (VPCs).

The protocol for intensive screening of would need to be worked out in detail. A starting suggestion would be daily checks for symptoms, daily PCR tests (would have to be very rapid, i.e. <24 hours), weekly(?) serological testing and (perhaps) monitoring of regular contacts (e.g. household members) of VPCs. [NB. Daily PCR tests are specifically to detect pre-symptomatic infection].

Obviously, all other protective measures (hygiene etc.) would still be required.

Illustration

We use a very simple model (Appendix 1) to explore the possible impact of enhanced shielding.

The model generates two epidemic curves: 1) the vulnerable population; 2) the (larger) non-vulnerable population. We ignore (2); the great majority of hospitalisations, ICU admissions and deaths will occur in (1).

The outputs show that enhanced shielding can (in principle) both lower the first peak and avoid a significantly larger second peak, so keeps the epidemic at manageable levels.

We conclude that enhanced shielding should be added to the policy options under consideration.

Caveats

This is a very simple model. The analysis should be repeated with more detailed models.

The actual impact of enhanced shielding will depend crucially on contact patterns (with and without the intervention) between vulnerable and non-vulnerable populations and within the vulnerable population (same household, same care home, same geriatric ward etc). This will need to be explored carefully.

The actual impact of enhanced shielding will depend crucially on the level of reductions in transmission rates achieved, especially from non-vulnerable to vulnerable populations and within the vulnerable population. What is practically achievable will need to be assessed carefully.

The long-term impact of enhanced shielding depends on the extent to which herd immunity builds up in the non-vulnerable population. Here we use an optimistic SIR framework.

Here, we have not considered enhanced shielding in isolation. Our baseline scenario assumes substantial reductions in R_0 (to 1.5) achieved through measures in place before the current lockdown. In our model that reduction is sustained.

In practice, enhanced shielding would be integrated with the lockdown now in place. We are currently exploring that interaction. However, if enhanced shielding is significantly more effective than current shielding, we anticipate that it will allow at the very least partial lifting of lockdown measures and for this to happen sooner.

APPENDIX: Model outputs and model details.

Figure 1. Epidemic curves for the vulnerable population only. Enhanced shielding for 24 weeks. Note that for 80% or 100% efficacy the first peak is the highest. The strategy does not work for 40%, 20% or 0% efficacy. Cumulative I_s ranges from 0.58 (0% efficacy) to 0.11 (100%).

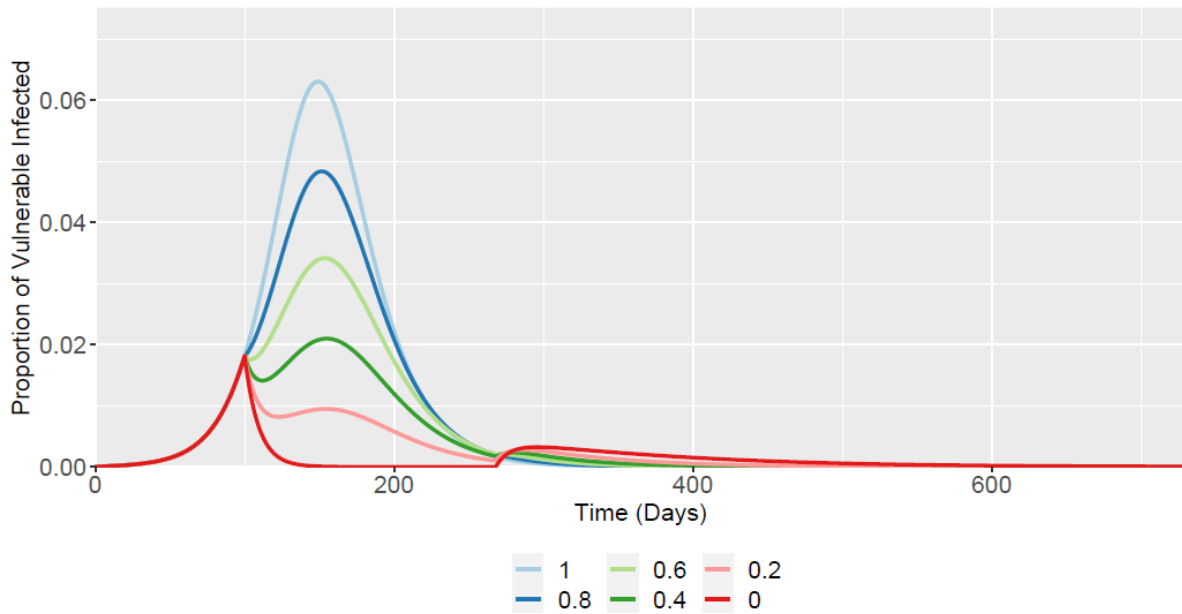


Figure 2. Epidemic curves for the non-vulnerable population only.

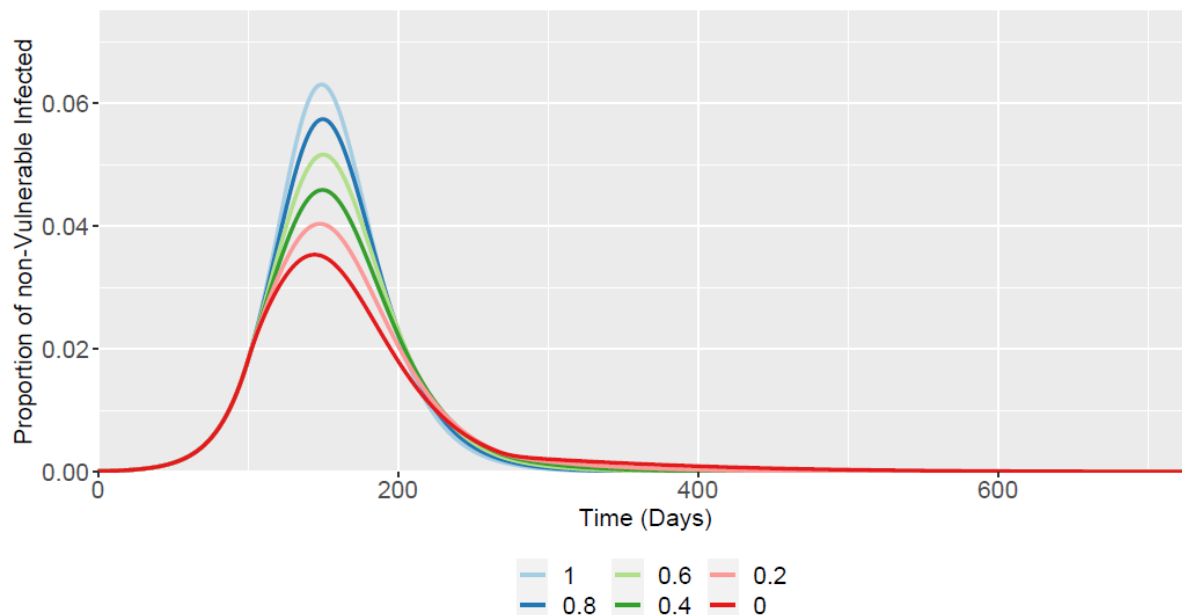


Figure 3. Epidemic curves for the recovered population (assuming SIR). For high efficacy herd immunity is achieved largely through exposure of the non-vulnerable population.

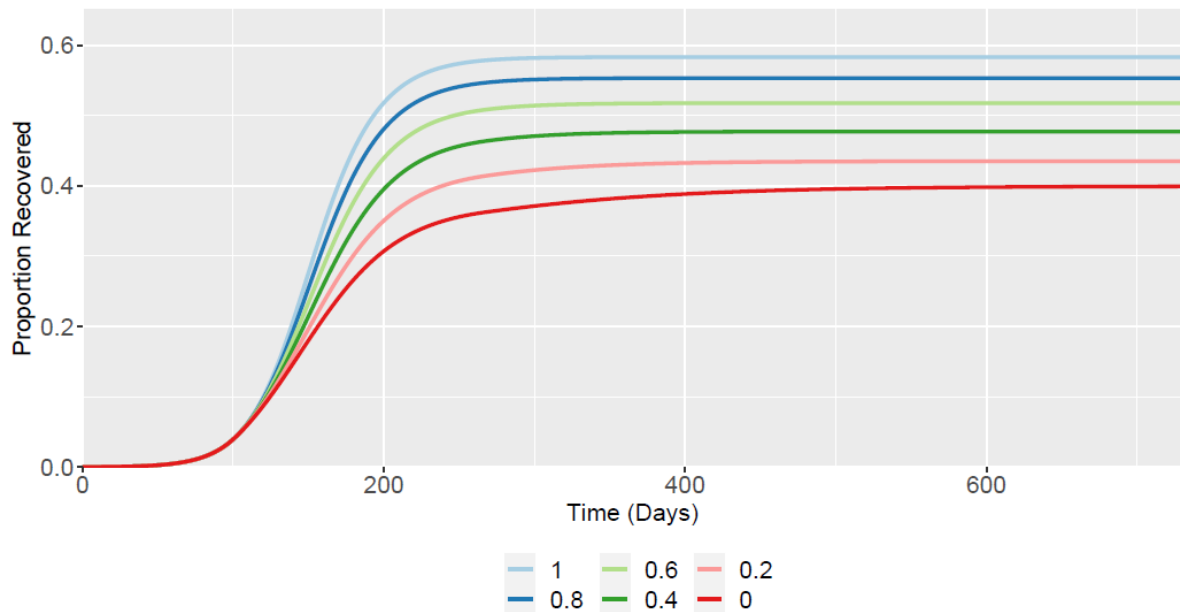
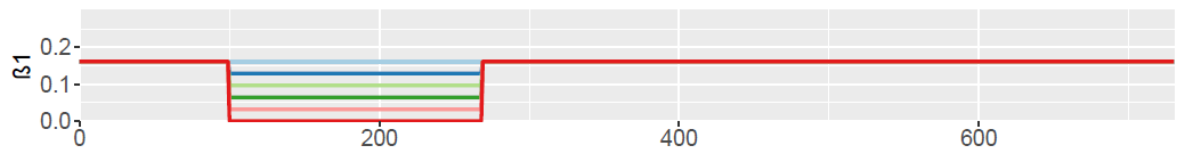
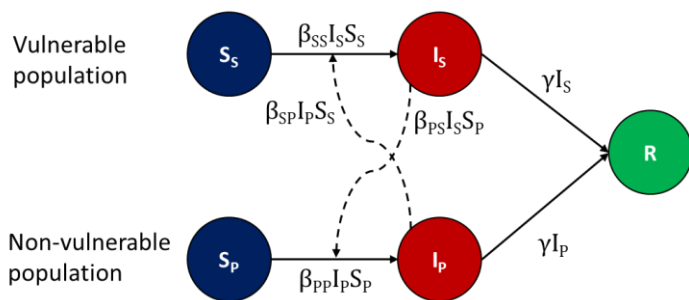


Figure 4. Assumed changes in transmission rates from non-vulnerable to vulnerable and within vulnerable population.



Model structure

SSIIR model with two I compartments: vulnerable (s); non-vulnerable (p).



Baseline $R_0 = 1.5$; Doubling time = 4.6; $\gamma = 0.108$

$\beta_{ss} = \beta_{sp} = \beta_1$ (baseline) = 0.161; β_{1c} (intervention) = $0.8 * \beta_1, 0.6 * \beta_1, 0.4 * \beta_1, 0.2 * \beta_1, 0$

$\beta_{pp} = \beta_{ps} = \beta_2$ (throughout) = 0.161

Intervention point: $I(t) = 0.0182$

Fraction vulnerable = 0.15

Intervention length = 24 weeks

Implementation

$$\frac{dS_S}{dt} = -\beta_{SS}I_S S_S - \beta_{SP}I_P S_S$$

$$\frac{dS_P}{dt} = -\beta_{PP}I_P S_P - \beta_{PS}I_S S_P$$

$$\frac{dI_S}{dt} = \beta_{SS}I_S S_S + \beta_{SP}I_P S_S - \gamma I_S$$

$$\frac{dI_P}{dt} = \beta_{PP}I_P S_P + \beta_{PS}I_S S_P - \gamma I_P$$

$$\frac{dR}{dt} = \gamma I_S + \gamma I_P$$

Model implemented in R and C++ independently.

Code available at <https://github.com/bvbunnik/COVID-19>

Sensitivity analyses

i) Higher baseline $R_0 = 2.4$

Requires higher reductions (close to 100%) to achieve similar outcome (as peak I_S value).

ii) Shorter intervention = 12 weeks

Generates a second wave, but this is similar to the first wave for 60% efficacy or more.

iii) No impact on β_{SS} so $\beta_{SS} = \beta_1$ (throughout)

This generates a slightly worse outcome (higher peak I_S value) for intermediate reductions in β_{SP} .

iv) Different intervention points (equivalent to ± 25 days start time)

Timing is important. For very effective interventions ($\geq 80\%$) if the intervention point is 25 days earlier or later then the cumulative I_S is higher. However, peak I_S is lower for an earlier intervention point. [In practice, the position of the intervention point on the epidemic curve is uncertain].

v) SIS not SIR

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